



Weak lensing calibrated scaling relations for galaxy groups and clusters in the COSMOS and CFHTLS fields

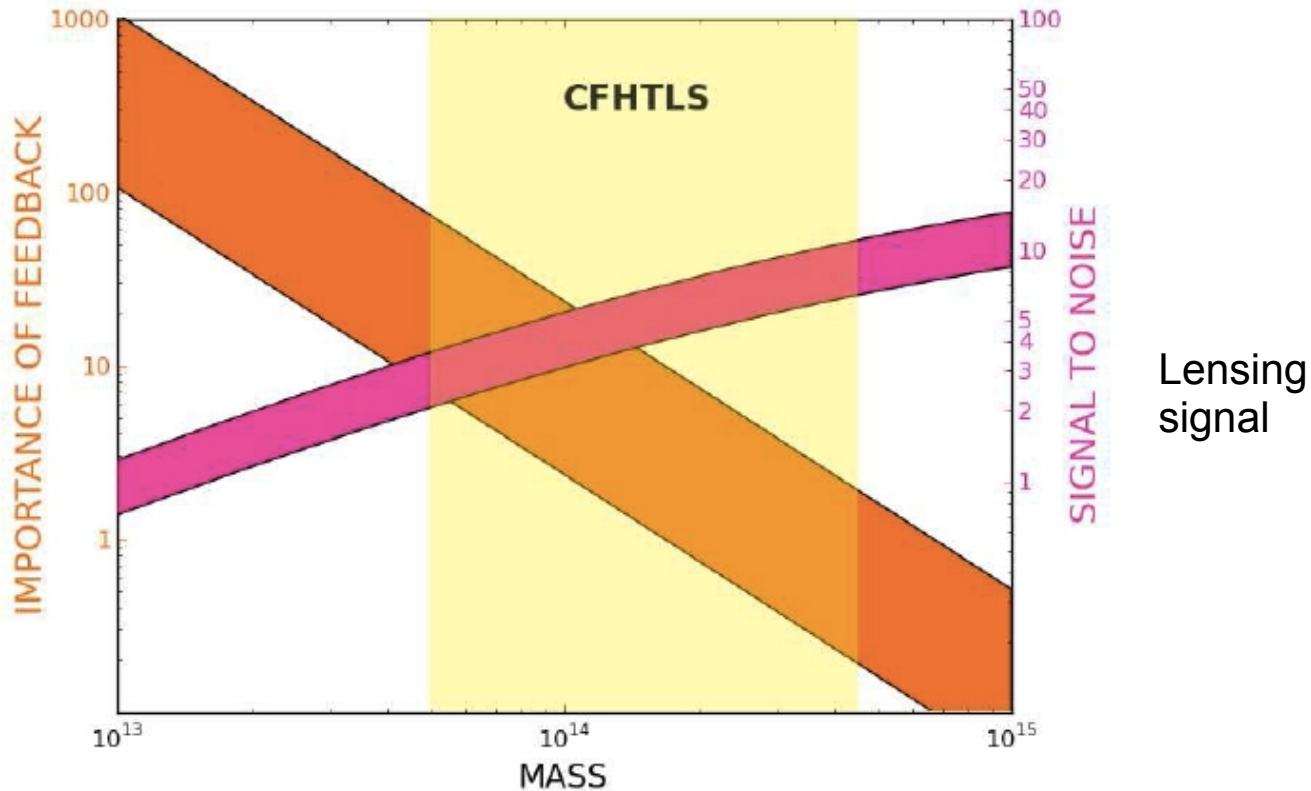
Kimmo Kettula

COSMOS, CFHTLenS and XMM-CFHTLS collaborations



Scaling in low mass systems

Ratio of radio galaxy AGN feedback to gravitational potential for groups in COSMOS (Giodini+10)

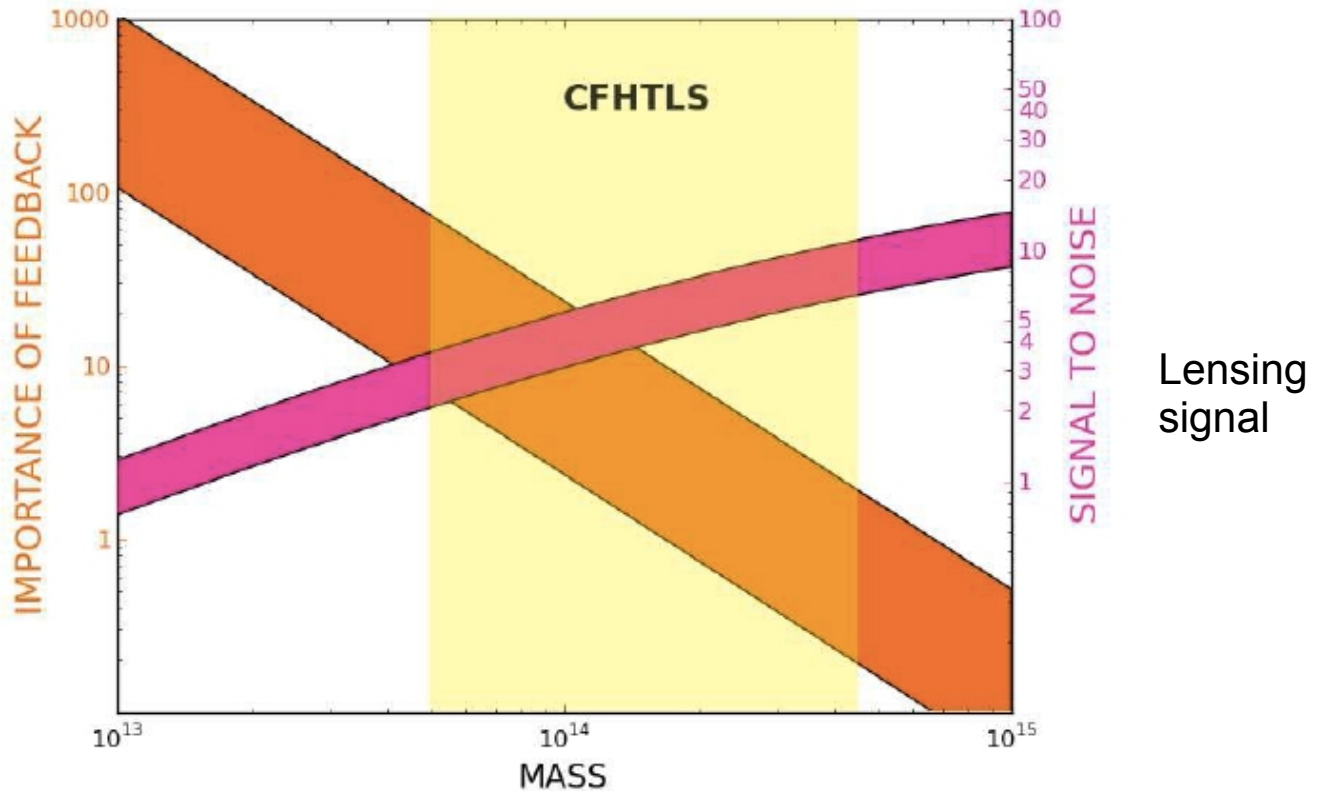


- Gas component more dominant for low mass systems
- Scaling at low masses more strongly affected by feedback from AGN and star formation
 - Simulations including cooling and feedback indicate that low mass systems follow a different scaling than high mass systems (e.g. Le Brun+14, Planelles+14, Pike+14)



Scaling in low mass systems

Ratio of radio galaxy AGN feedback to gravitational potential for groups in COSMOS (Giodini+10)



- Lensing measurements of low mass systems observationally demanding → previous work mainly relying on X-ray masses assuming hydrostatic equilibrium (HSE) (e.g. Sun+09, Eckmiller+14, Lovisari+14)
 - Direct measurement of a break hard
 - Indicates stronger deviations from self-similarity and larger scatter for relations including low mass systems



COSMOS M – Tx relation

Kettula et al. 2013 /
ArXiv:1309.3891

Assume power-law relation as in
Kaiser (1986):

$$\log_{10} \frac{M_{500} E(z)}{10^{14} h_{70}^{-1}} = \log_{10} N + \alpha \times \log_{10} \frac{T_X}{3 \text{keV}}$$

Include:

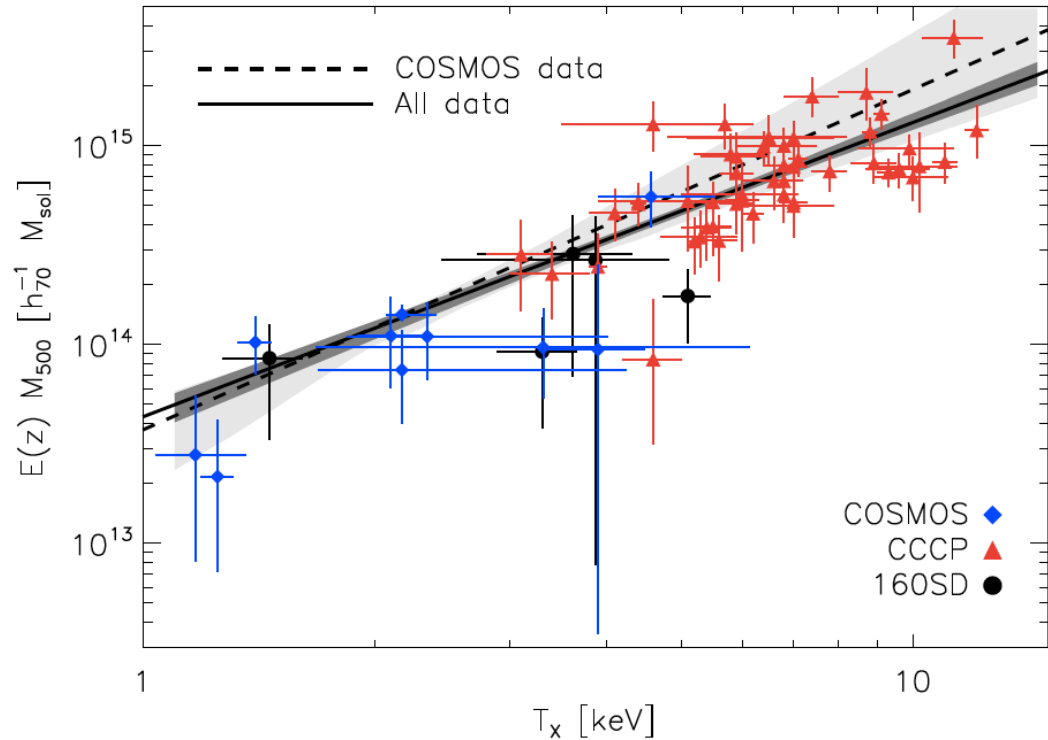
10 COSMOS groups

50 CCCP systems

Hoekstra+12, Mahdavi+13

5 systems from 160SD

Vikhlinin+98, Mullis+03

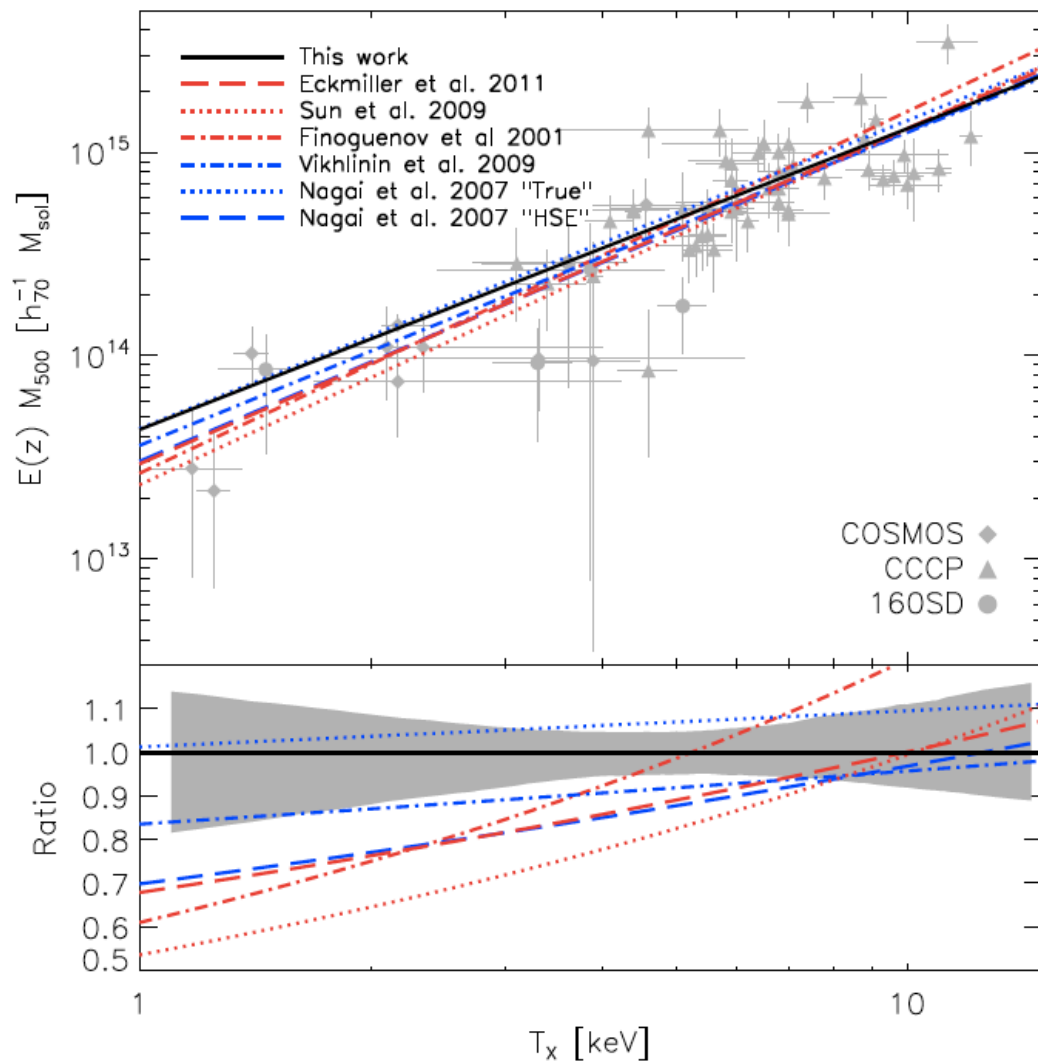
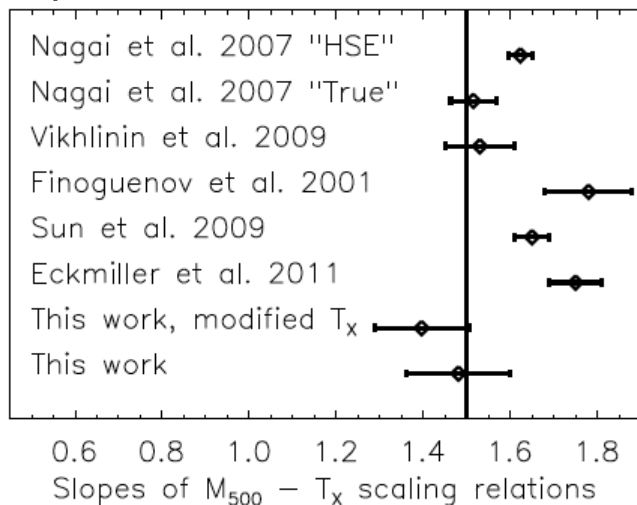


Sample	Slope α	Normalisation $\log_{10} N$	Intrinsic scatter %	χ^2	degrees of freedom
COSMOS	$1.71^{+0.57}_{-0.40}$	$0.39^{+0.04}_{-0.10}$	28 ± 13	5.07	8
COSMOS+CCCP+160SD	$1.48^{+0.13}_{-0.09}$	$0.34^{+0.02}_{-0.04}$	28 ± 7	112.57	63



COSMOS M – Tx relation

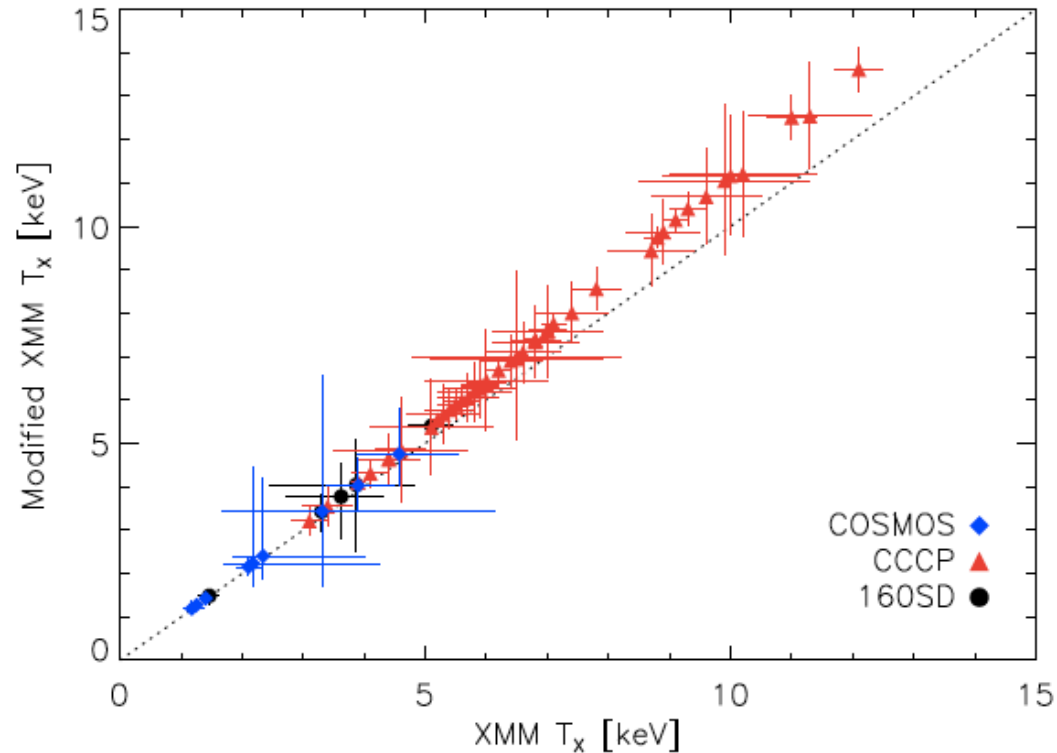
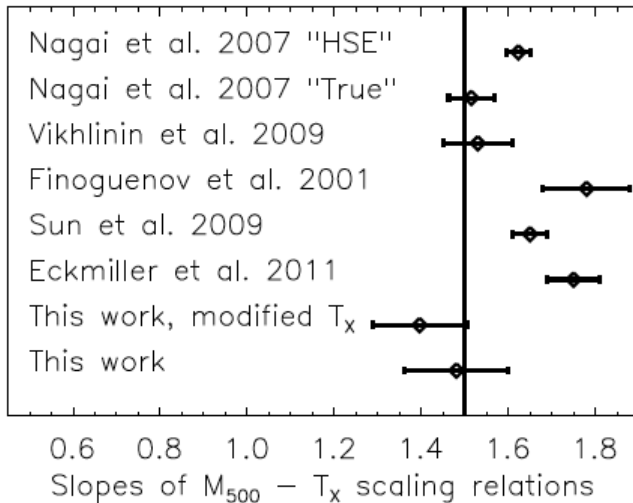
- WL and simulations indicate that groups and clusters follow the same M-Tx scaling
- Group level relations assuming HSE are steeper
- First observational support for HSE mass bias at group scales, up to 30-50 % at 1 keV





Chandra vs XMM calibration

- Chandra gives systematically higher T_x than XMM-Newton
- Modify our XMM based temperatures to match Chandra calibration and refit M- T_x
 → **Conclusions unaffected!**



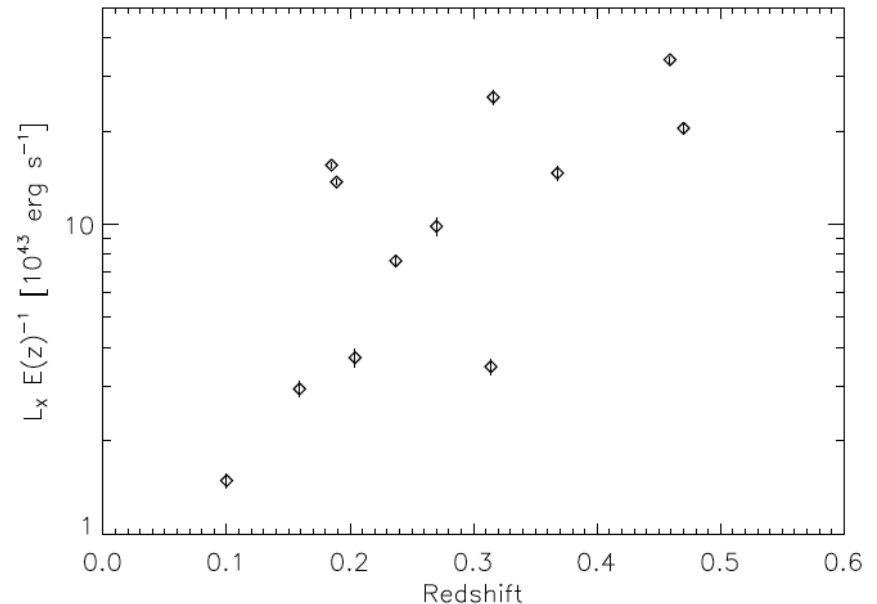
$$T_X^{\text{modified}} = T_X^{\text{XMM}} \times \left(1 + \frac{0.15 T_X^{\text{XMM}}}{10\text{keV}} \frac{1}{1+z} \right)$$



Low mass clusters in CFHTLS

Kettula et al., MNRAS submitted / ArXiv:1410.8769

- 154 sq. deg. fields of CFHTLS-Wide
- XMM-CFHTLS (Mirkazemi et al., ApJ submitted)
 - Extended ROSAT All Sky Survey (RASS) emission and CFHTLS multiband and HECTOSPEC/MMT spectroscopic follow-up
 - 12 systems with > 400 counts
 - Measure core-excised X-ray luminosity L_x using a 0.5-2.0 keV band and temperature T_x
- CFHTLenS
 - CFHT 5 band lensing data
 - Fit NFW profile to shear profile assuming Duffy+08 mass-concentration

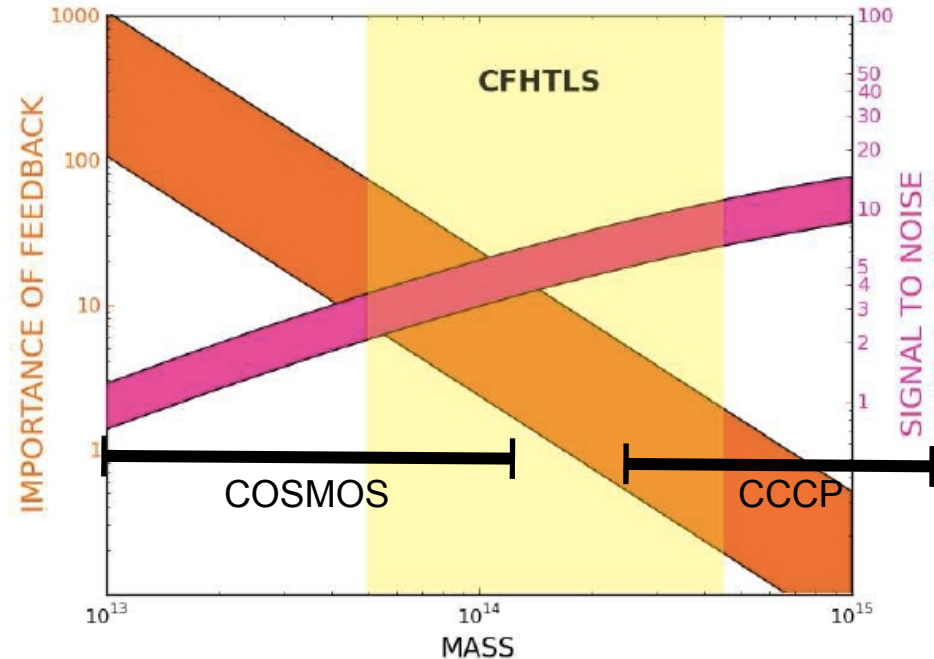




Low mass clusters in CFHTLS

Kettula et al., MNRAS submitted / ArXiv:1410.8769

- 70 systems in total
- $M \sim 1E13-1E15$ Msol
- $T_x \sim 1-10$ keV
- $L_x \sim 1E43-1E45$ erg / s
 - 1) Use offset between BCG and X-ray peak to divide into subsamples of 15 merging ($> 3\%$ of $R200$) and 55 relaxed systems ($< 3\%$ of $R200$)
 - 2) Use the three surveys as approximate mass bins
 - 3) Study the effects of X-ray cross-calibration by converting our XMM measurements to match Chandra calibration



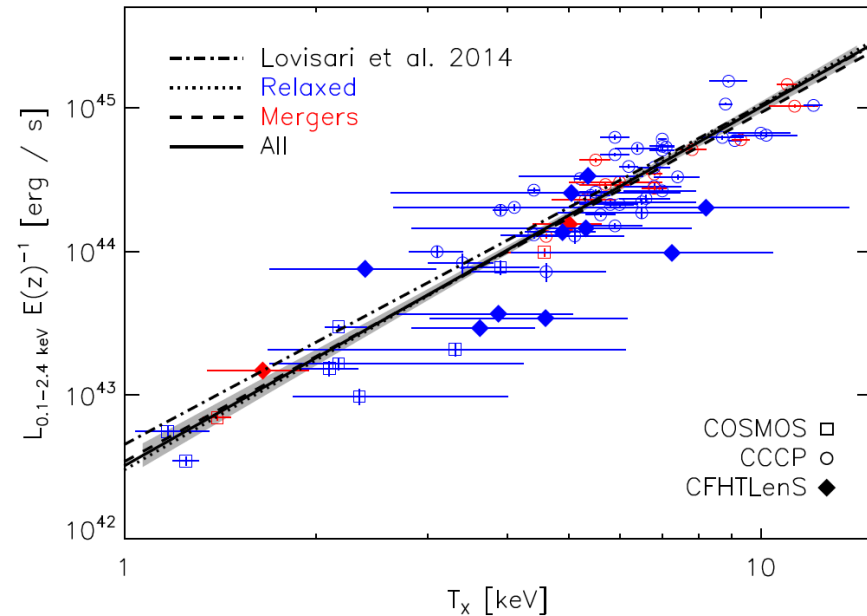
10 low mass systems from COSMOS
(Kettula et al. 2013)
48 high mass systems from CCCP
with updated lensing analysis
(Hoekstra et al., submitted)



Lx – Tx relation

	α	$\log_{10} N$	$\sigma_{\log(A B)}$
$L_X - T_X$			
All data	$2.49^{+0.11}_{-0.11}$	$0.25^{+0.03}_{-0.03}$	$0.16^{+0.02}_{-0.02}$
Mergers	$2.43^{+0.16}_{-0.17}$	$0.23^{+0.04}_{-0.04}$	$0.13^{+0.04}_{-0.03}$
Relaxed	$2.54^{+0.14}_{-0.15}$	$0.25^{+0.03}_{-0.03}$	$0.18^{+0.03}_{-0.02}$
CFHTLS	$2.30^{+0.87}_{-0.87}$	$0.13^{+0.15}_{-0.13}$	$0.28^{+0.16}_{-0.13}$
COSMOS	$2.46^{+0.44}_{-0.47}$	$0.17^{+0.20}_{-0.21}$	$0.16^{+0.10}_{-0.07}$
CCCP	$2.04^{+0.20}_{-0.19}$	$0.32^{+0.03}_{-0.03}$	$0.15^{+0.02}_{-0.02}$

α is the slope of the relation, $\log_{10} N$ the normalisation and $\sigma_{\log(A|B)}$ the intrinsic scatter in the independent variable.



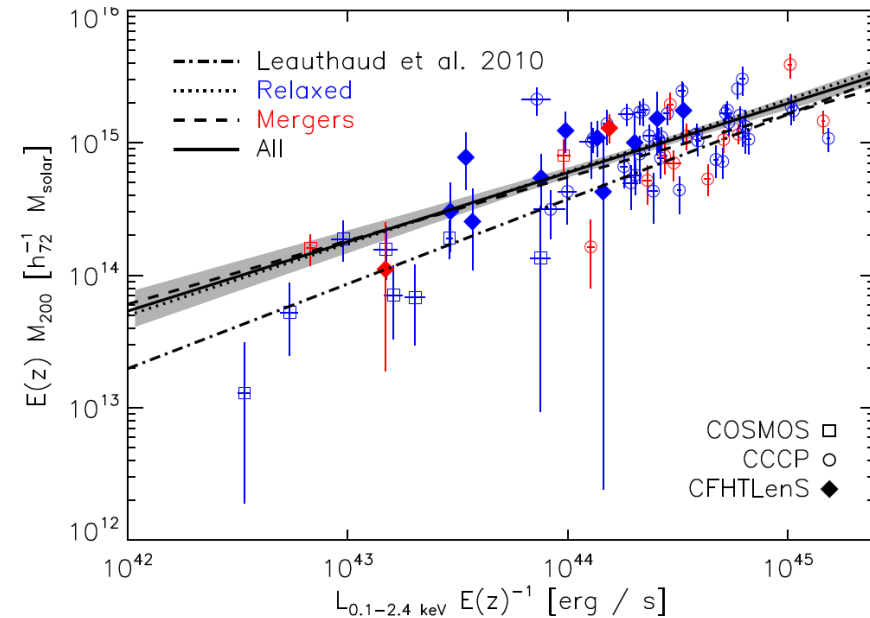
- Slope steeper than self-similar prediction of 2.0
- For the full sample Chandra calibration results in $\Delta\text{slope} = -0.29 \pm 0.11$



M – Lx relation

	α	$\log_{10} N$	$\sigma_{\log(A B)}$
$M_{200}-L_X$			
All data	$0.52^{+0.06}_{-0.06}$	$0.30^{+0.04}_{-0.04}$	$0.20^{+0.03}_{-0.02}$
Mergers	$0.48^{+0.13}_{-0.13}$	$0.26^{+0.09}_{-0.10}$	$0.24^{+0.08}_{-0.06}$
Relaxed	$0.54^{+0.07}_{-0.06}$	$0.31^{+0.04}_{-0.04}$	$0.20^{+0.03}_{-0.03}$
CFHTLS	$0.66^{+0.24}_{-0.22}$	$0.46^{+0.07}_{-0.08}$	$0.12^{+0.10}_{-0.07}$
COSMOS	$0.70^{+0.30}_{-0.30}$	$0.26^{+0.25}_{-0.28}$	$0.29^{+0.18}_{-0.12}$
CCCP	$0.32^{+0.11}_{-0.11}$	$0.41^{+0.07}_{-0.07}$	$0.20^{+0.03}_{-0.03}$

α is the slope of the relation, $\log_{10} N$ the normalisation and $\sigma_{\log(A|B)}$ the intrinsic scatter in the independent variable.



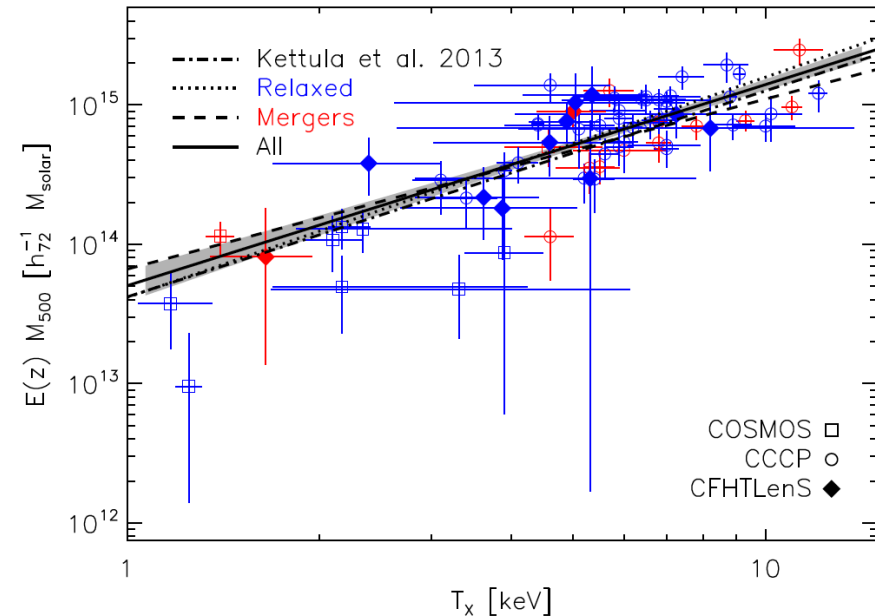
- Slope flatter than self-similar prediction of 0.75
- Unaffected by X-ray cross-calibration
- CCCP results in flatter relation



M – Tx relation

	α	$\log_{10} N$	$\sigma_{\log(A B)}$
$M_{500}-T_X$			
All data	$1.44^{+0.14}_{-0.13}$	$0.01^{+0.03}_{-0.03}$	$0.14^{+0.03}_{-0.02}$
Mergers	$1.22^{+0.29}_{-0.30}$	$-0.02^{+0.07}_{-0.07}$	$0.20^{+0.08}_{-0.06}$
Relaxed	$1.58^{+0.17}_{-0.16}$	$0.02^{+0.03}_{-0.03}$	$0.13^{+0.03}_{-0.03}$
CFHTLS	$1.46^{+1.05}_{-0.89}$	$0.17^{+0.12}_{-0.12}$	$0.17^{+0.13}_{-0.09}$
COSMOS	$1.47^{+0.72}_{-0.70}$	$-0.09^{+0.31}_{-0.34}$	$0.27^{+0.20}_{-0.13}$
CCCP	$1.21^{+0.25}_{-0.23}$	$0.04^{+0.04}_{-0.04}$	$0.15^{+0.03}_{-0.02}$

α is the slope of the relation, $\log_{10} N$ the normalisation and $\sigma_{\log(A|B)}$ the intrinsic scatter in the independent variable.

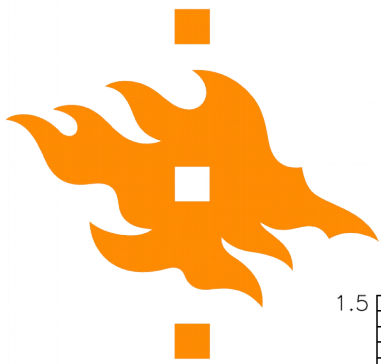


- Slope consistent with self-similar prediction of 1.50
- For the full sample Chandra calibration results in $\Delta\text{slope} = -0.16 \pm 0.13$

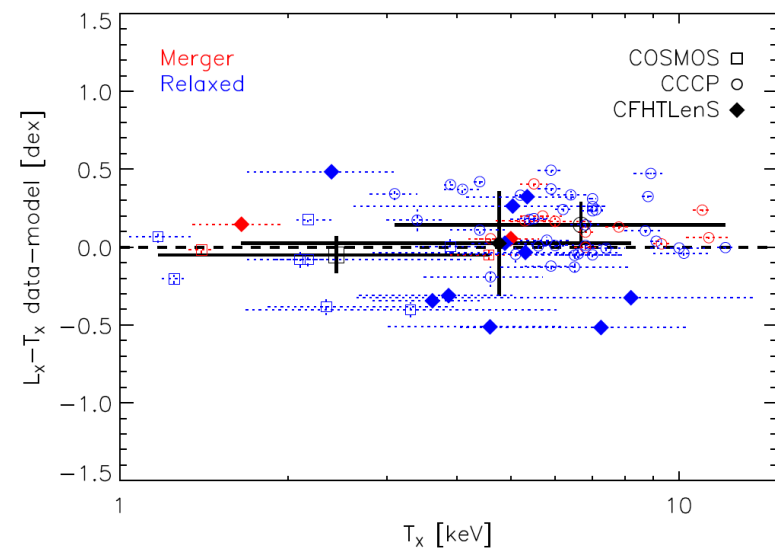
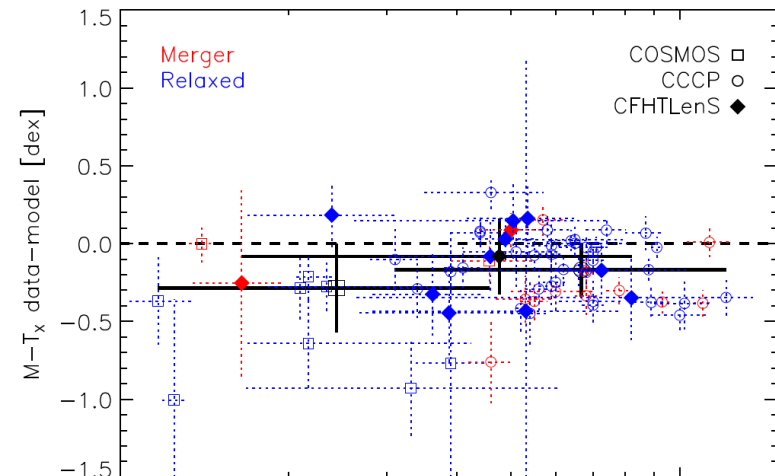
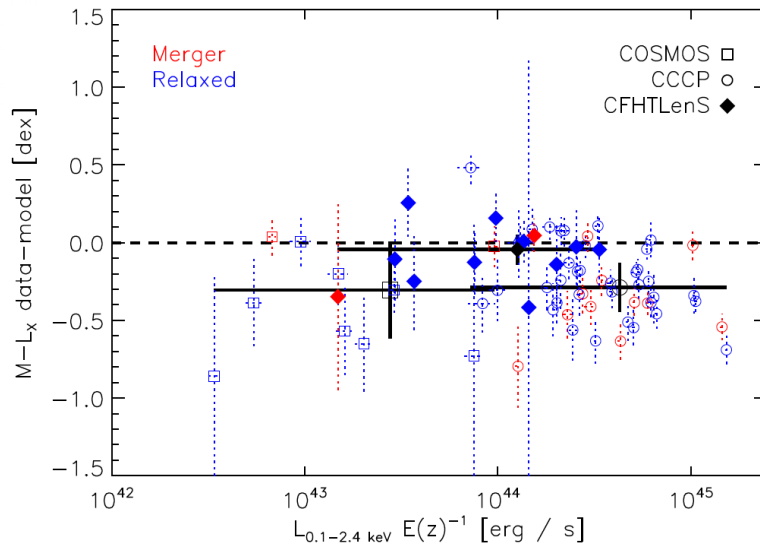


Mergers vs relaxed

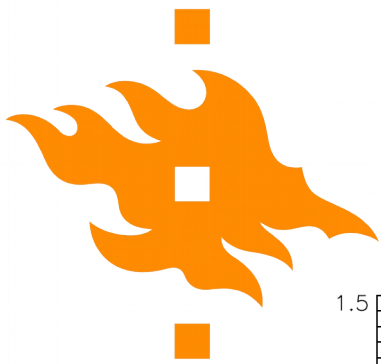
- Simulations show that weak lensing masses obtained by fitting an NFW profile have a scatter of $\sim 20\text{-}25\%$ and may be biased low by a few % due to triaxiality and substructure (e.g. Meneghetti+10, Becker & Kravtsov '11)
 - Merging clusters expected to have stronger triaxiality and substructure than relaxed
 - A marginal trend for flatter slope, lower normalization and larger scatter in mass in merging clusters
 - Need larger sample of merging systems for better statistics
 - Aperture mass might provide better mass calibration for mergers



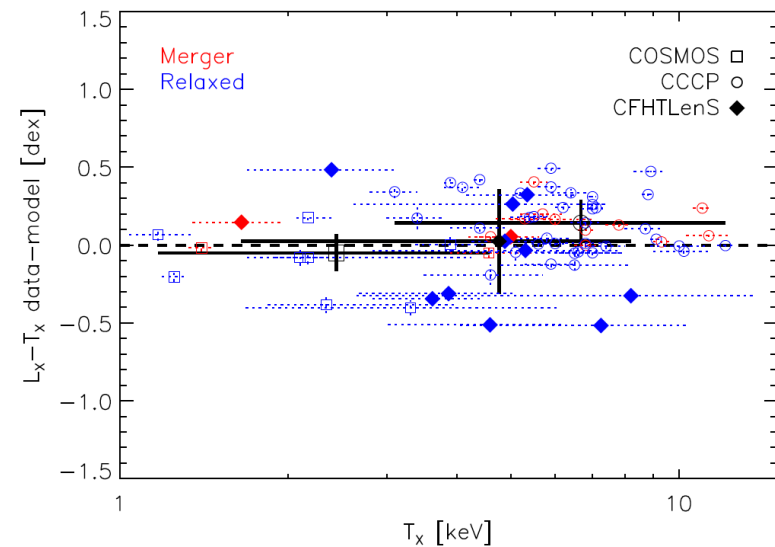
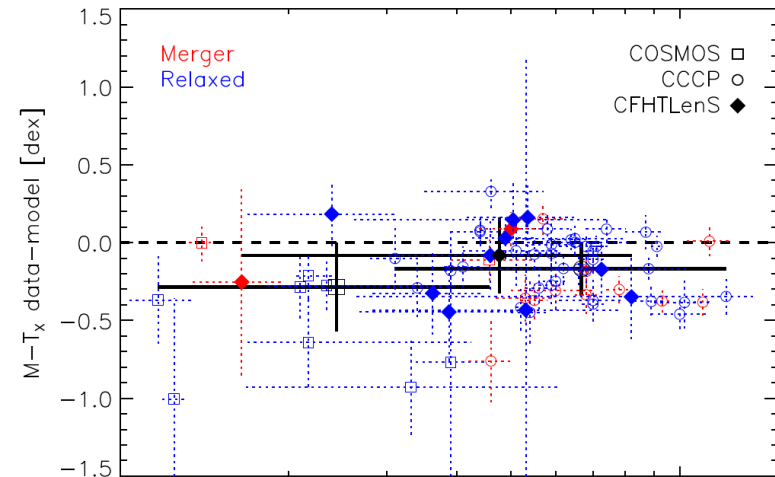
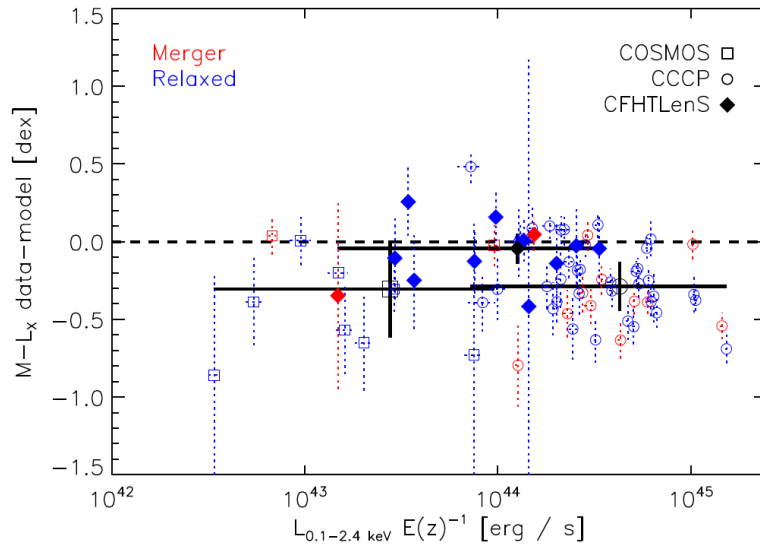
Mass dependence



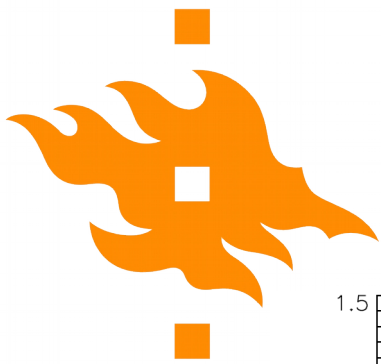
- CFHTLS only and COSMOS only relations consistent with the full sample, but large uncertainties
- Tendency for enhanced scatter in mass for COSMOS
- CCCP only results in flatter M-Lx than CFHTLS and COSMOS
- Stacked residuals wrt CFHTLS only relation
 - No significant deviations in Lx-Tx and M-Tx



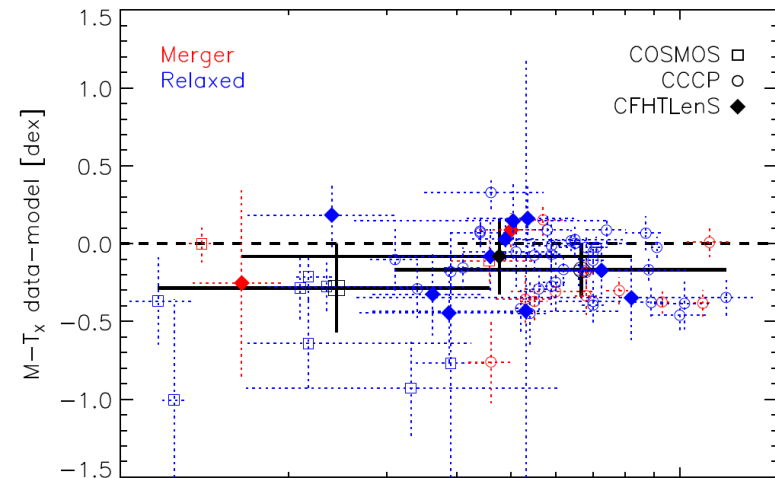
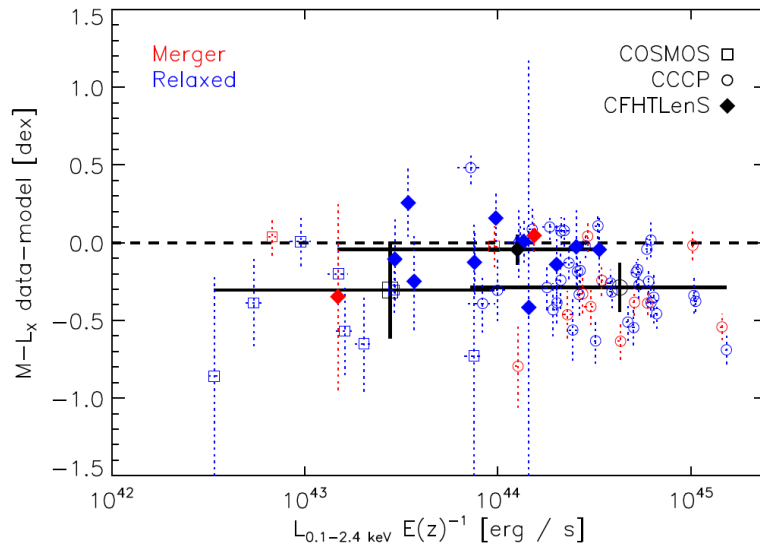
Mass dependence



- CFHTLS systems have higher mass for their luminosity
 - 1) X-ray emission lines contribute significantly over the bremsstrahlung continuum to groups in COSMOS
 - 2) Interplay between the steep decline of the mass function and scatter in $L_x \rightarrow$ massive clusters in CCCP scatter to higher L_x

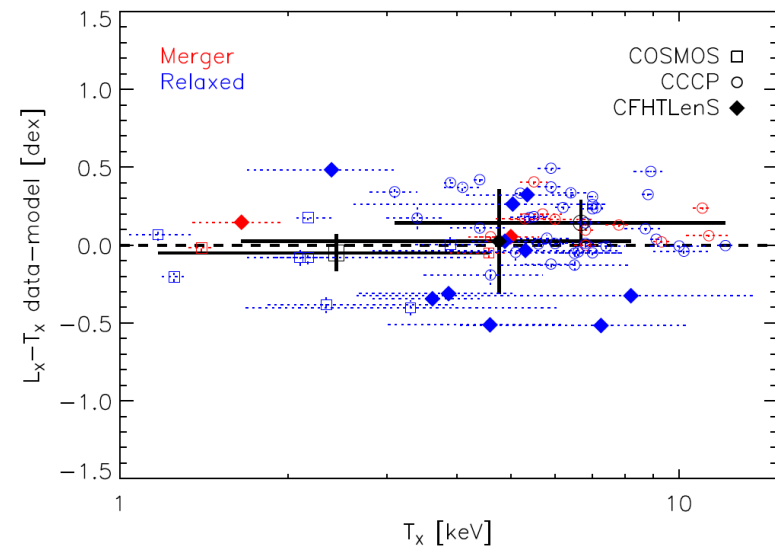


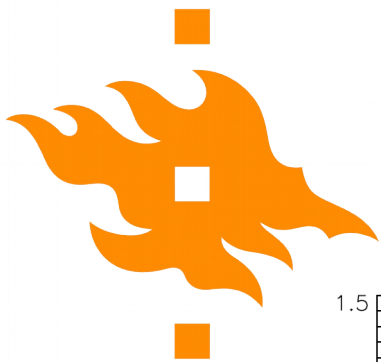
Mass dependence



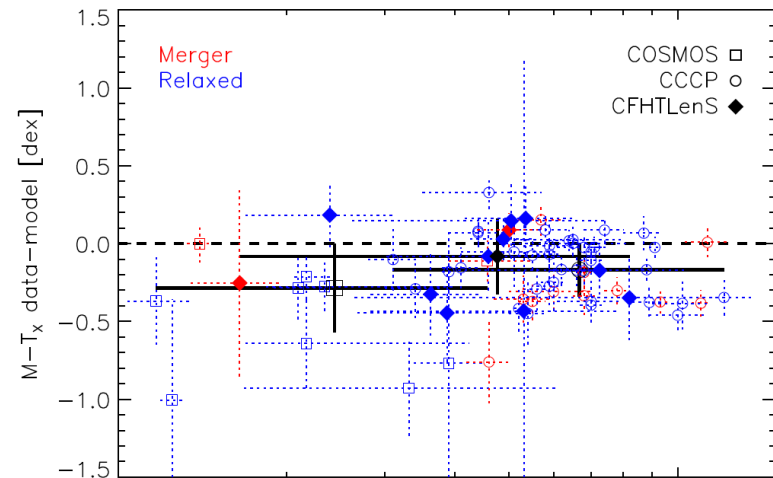
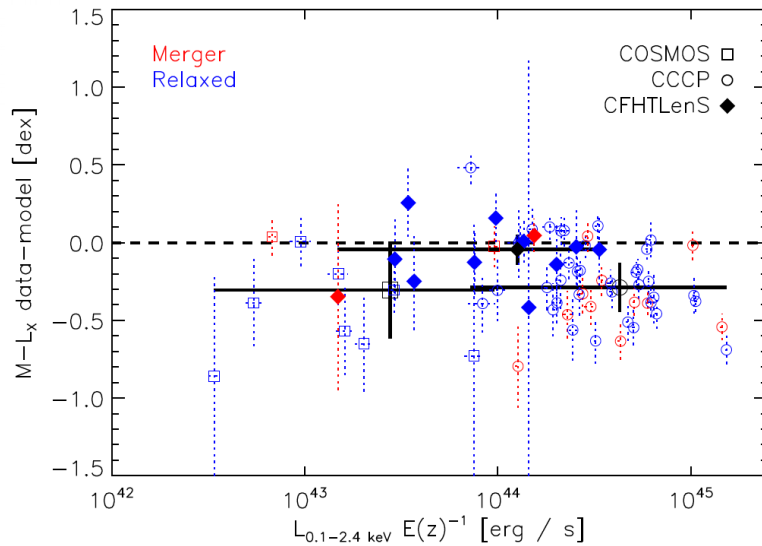
- Test if CCCP drives the M-Lx relation fitted to the full sample by using a different high mass sample
 - Match lensing masses of WtG clusters in the Sereno+14 catalog to Lx in the BAX cluster database → 30 clusters

	α	$\log_{10} N$	$\sigma_{\log(A B)}$
WtG	$0.66^{+0.18}_{-0.17}$	$0.18^{+0.17}_{-0.18}$	$0.13^{+0.04}_{-0.03}$
COSMOS + CFHTLS + WtG	$0.57^{+0.04}_{-0.04}$	$0.29^{+0.04}_{-0.04}$	$0.12^{+0.03}_{-0.03}$

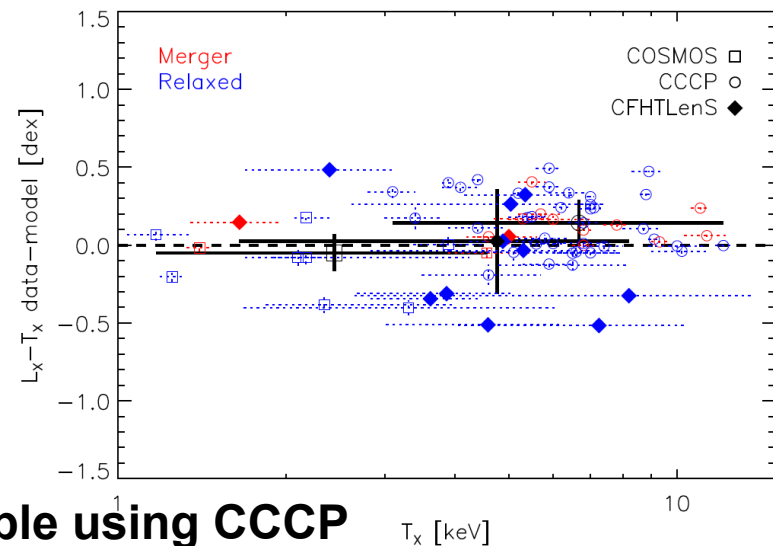




Mass dependence



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Consistent slope with the full sample using CCCP

relations using the full mass range are robust!



Conclusions

- Provides the current limitations for using L_x and T_x as cluster mass proxies
- Mergers contribute little to X-ray selected samples
 - A marginal trend for flatter slope, lower normalization and larger scatter in mass in merging clusters
- Temperature is a good low scatter mass proxy for X-ray selected samples
- Not able to directly measure breaks in the relations
 - Intermediate mass systems have higher mass for their luminosity
- Demonstrates the importance of having:
 - 1) more measurements of low mass systems
 - 2) well understood samples on all mass scales